

NOVEL MULTIPLE IMPUTATION COMPARISON ON LINEAR REGRESSION, LOGISTIC REGRESSION, PREDICTIVE MEAN MATCHING ALGORITHM

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ABSTRACT: Missing values present challenges in the analysis of data across many areas of research. Handling incomplete data incorrectly can lead to bias, over-confident intervals, and inaccurate inferences. One principled method of handling incomplete data is multiple imputations comparison on linear regression, logistic regression, predictive mean matching algorithm. The results show that neither the order, nor the number of imputations have significant impact on the bias, mean square error, or coverage, under this set of conditions. This work provides a baseline framework for more complex situations and more complex assumptions imposed on the missing values and classification of missing data.

Keywords: [Missing Data, Multiple Imputationh]

1. INTRODUCTION

Missing data are observations which exist however were not recorded or recorded and after that lost. In clinical examinations missing data regularly result from withdrawal, wearing down and misfortune to development. In different settings the missing data could be created through a coarsening plan. Fragmented data may emerge because of a few unique reasons including refusal, whittling down, estimation errors or just numbness about of the individual made inquiry. Regardless of what the reason is, missing observations is an issue that must be managed in every single measurable territory. The missing data mechanisms to be insignificant two conditions must be satisfied. In the first place, the missing data process must be unmistakable from those in the data. The missing data design portrays which esteems in the data framework thatare really missing, and can help in the decision of strategy for taking care of the missing data. Missing data designs are typically separated into monotone (MMP) and discretionary missing examples (AMP). Figure 1 represented into Missing data patterns.

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Figure 1: Examples of missing data patterns. Rows correspond to units and columns to variables. Matrices A, B and C have MMP, UMP and AMP respectively

MMP may rearrange the analysis of the inadequate data as it might take into account the probability capacity to be factorized into factors for each square of cases with missing observations in similar factors, which would then be able to be amplified independently. Strategies built exclusively for MMP generally request less calculations than those planned likewise to deal with AMP. It might now and then even be worth considering expelling few observations or credit esteems for a few factors utilizing a subjective missing data strategy keeping in mind the end goal to make a data set with a "monotone" missing data design.

Missing Data Methods

Numerous throwing so as to miss data approaches disentangle the issue away data. In addition, discarding data can prompt estimates with bigger standard blunders because of lessened specimen size.

1.1 Complete-case analysis:

An immediate method to manage missing data is to bar them. In the regression setting, this generally means finish case analysis: excepting all units for which the outcome or any of the sources of info are missing. In R, this is done consequently for customary regressions (data centers with any missingness in the indicators or result are neglected by the regression). In Bugs, missing esteems in un exhibited data are not allowed, so these cases must be banished in R before sending the data to Bugs, or else the factors with missingness must be explicitly shown.

Two issues emerge with complete-case analysis:

1. In the event that the units with missing values vary systematically from the completely ob-served cases, with the complete-case analysis.

2. In the event that numerous variables are incorporated into a model, there might be not very many complete cases, so that the vast majority of the data would be disposed of for the purpose of a basic analysis.

1.2 Available-case analysis:

Open case analysis moreover develops when a master fundamentally forbids a variable or set of factors from the analysis in light of their missing-data rates now and again called "finish factors examinations". In a causal acceptance setting as with various forecast settings, this may provoke oversight of a variable that is vital to fulfill the suspicions fundamental for pined for causal translations.Imputation hypothesis is always making and thusly requires reliable regard for new data. There have been various speculations got a handle on by analysts to speak to missing data yet the lion's offer of them show a great deal of slant. Several the definitely comprehended endeavors to oversee missing data include: hot deck and cool deck imputation; list wise and combine clever erasure; mean imputation; regression imputation; last observation passed on forward; stochastic imputation; and different imputation.

Author	Year	Research Abstract Contribution
1 SandinSinharay Hal	2001	This article introduces the idea behind Multiple
1. SanupSinnaray, Hai	2001	Imputation discusses the advantages existing
S.Stern and Daniel Russel		techniques for addressing missing data describes
		how to do problems, reviews for software available to
		implement MI and discusses of a simulation study
		aimed at finding out how assumptions regarding the
		imputation model affect the parameter estimates
		provided by Multiple Imputations
2 Fulufhelo Vincent	2009	The merits of both these techniques have been
2. Futurneto Vincent	2007	discussed at length in the literature but have never
Nelwamondo A		been compared to each other. This thesis contributes
		to knowledge by firstly conducting a comparative
		study of these two techniques. The significance of the
		difference in performance of the methods is
		presented Secondly predictive analysis methods
		suitable for the missing data problem are presented.
		The predictive analysis in this problem is aimed at
		determining if data in question are predictable and
		hence, to help in choosing the estimation techniques
		accordingly. Thirdly, a novel treatment of missing
		data for online condition monitoring problems is
		presented.
3. Benjamin M. Marlin	2008	This paper focuses on the problems of collaborative
, in the second s		prediction with non-random missing data and
		classification with missing features. We begin by
		presenting and elaborating on the theory of missing
		data due to Little and Rubin. We place a particular
		emphasis on the missing at random assumption in the
		multivariate setting with arbitrary patterns of missing
		data. We derive inference and prediction methods in
		the presence of random missing data for a variety of
		probabilistic models including finite mixture models,
		Dirichlet process mixture models, and factor analysis.
4. Eng. Camelia Lemnaru	2011	The current thesis ascertains the problem statement
(VidrighinBratu)		and provides an analysis of existing approaches for
(Thurighiniprutu)		the major theoretical problems tackled and, in some
		cases, also systematic empirical studies. Also, it
		proposes a series of novel methods for improving the
		behavior of traditional classifiers in such imperfect
		scenarios. In the data pre-processing step, the current
		thesis introduces an original global imputation
		method, based on non-missing data and a novel joint
		pre-processing methodology, which proposes an
		information exchange between data imputation and
		reature selection. Also, an original subset
		combination method for improving the stability of
		teature selection across different problems and

		providing an assessment of the baseline performance				
		of feature selection in a new problem is presented.				
5. Olanrewaju Michael	2015	Evaluates the performance of several multiple				
Akondo		imputation methods for categorical data, including				
Akanue		multiple imputation by chained equations using				
		generalized linear models, multiple imputation by				
		chained equations using classification and regression				
		trees and non-parametric Bayesian multiple				
		imputation for categorical data. These data afford				
		exploration of practical problems such as				
		multicollinearity and large dimensions. This thesis				
		highlights some advantages and limitations of each				
		method compared to others. Finally, it provides				
		suggestions on which method should be preferred,				
		and conditions under which the suggestions hold.				
6. Alexander Hapfelmeier	2012	Alternative ways to handle missing values are the				
		application of imputation methods and complete case				
		analysis. Yet it is unknown to what extent these				
		approaches are able to provide sensible variable				
		rankings and meaningful variable selections.				
		Investigations showed that complete case analysis				
		leads to inaccurate variable selection as it may				
		inappropriately penalize the importance of fully				
		observed variables. By contrast, the new importance				
		measure decreases for variables with missing values				
		and therefore causes selections that accurately react				
		the information given in actual data situations.				
		Multiple imputation leads to an assessment of a				
		variable s importance and to selection frequencies that				
		would be expected for data that was completely				
		observed. In several performance evaluations the best				
		prediction accuracy emerged from multiple				
		imputations, closely followed by the application of				
		surrogate splits.				

3. PROPOSED WORK

3.1 NOVEL MULTIPLE IMPUTATION COMPARISON ON LINEAR REGRESSION, LOGISTIC REGRESSION, PREDICTIVE MEAN MATCHING ALGORITHM

This paper gives an integrated perspective of implementing Novel Imputation systems for multiple imputation procedures. Because of the importance of making the correct decision, better classification procedures are necessary for clinical decisions. The major objective of this paper is to implement and compare the proposed framework with three classification Simple Linear Regression model,Logistic regression, Predictive mean matching to build up an automated decision support framework for Multiple Imputation practice. The purpose was to decide an ideal classification mechanism for Multiple Imputation plans with high diagnostic accuracy. Distinctive classification algorithms were tried and benchmarked for their performance. The performance of the classification algorithms is illustrated on benchmark datasets.



Figure 2: Proposed Overflow

A missingness structure is imposed as follows, 1. The first type of missing value is created with a missing totally at random structure to simulate a missing covariate. That is, a prespecified percentage of the values in X1 are randomly erased. Give MCAR% a chance to mean the percentage of missing values because of the first type of missingness. 2. The second type of missing value is created under a missing at random structure. Give MAR1% a chance to mean the percentage of missing values because of the first type of missing at random variable. Values in Y are evacuated in the event that they are above the best MAR1% percentile of X1. 3.The third type of missing value is created under a missing at random structure. Give MAR2% a chance to indicate the percentage of missing values because of the second type of missing at random variable. Values in Y are expelled on the off chance that they are beneath the base MAR2% percentile of X1.

The missing values are ascribed utilizing the standard package in R with varying numbers of imputations at each stage signified by the requested triple (L, M, N) and to such an extent that the request is MCAR%, MAR1%, MAR2%. Sider data has been utilized for the identification of missing data . For Training data 5-overlay cross approval model is utilized to test performances of the models. For a Sider dataset, all medications are randomly part into five subsets with parallel size. Each time, four subsets are consolidated as the preparation set, and whatever remains of the subset is used as the testing set.

4. EXPERIMENTAL RESULTS

The classification algorithm is a standout amongst the most vital capacities in the investigation of expansive datasets. Classification algorithms are the most generally utilized data mining models to separate profitable learning from gigantic measures of data (Dogan&Zuhal,2013). Classification is a data mining process that appoints things in an accumulation to target classifications or classes. The objective of classification is to foresee an objective class for each case in the dataset precisely. Numerous similar examinations are utilized to figure out which algorithm is most appropriate for a specific dataset. Classification ability relies upon the kinds of algorithms and the attributes of the data, for example, the level of imbalance, number of highlights, number of instances, and number of class composes. Besides, while missing values are dealt with by a specific imputation method, the classification algorithm is additionally influenced by the imputation method. In this manner, each extraordinary imputation method/classifier combine brings about an alternate execution, regardless of whether they treat similar data with the same missing values. Table 1 represented into comparison values of Novel Multiple Imputation Comparison on Linear Regression, Logistic Regression, Predictive Mean Matching Algorithm. Figure 3 represented into comparison of proposed overall metrics values.

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	Linear Regression	Logistic Regression	Predictive Mean Matching Algorithm	Proposed Novel MI Framework
PCC	-0.6	-0.3	0.2	0.9
Mean Abs Sqr	0.3	0.1	0.5	0.9
RM Sqr Error	4	6	29	36
Precision	0.05	0.12	0.1	0.33
Recall	3	8	20	33
F-Score	4	15	19	38

Table 1: Comparison of proposed overall metrics values



Figure 3: Comparison of proposed values



Figure 4: Comparison Mean metrics using 10 Runs values

CONCLUSION

This paper is experimented in an integrated view of implementing Novel Imputation systems for multiple imputation procedures. Because of the importance of making the right decision, better classification procedures are necessary for clinical decisions. The major outcome of this paper is to implement and compare the proposed framework with three classification

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Simple Linear Regression model, Logistic regression, Predictive mean matching to develop an automated decision support system for Multiple Imputation practice. By experimenting the existing three classification models and the We determine an optimum classification mechanism for Multiple Imputation schemes with high diagnostic accuracy. Different classification algorithms were tested and benchmarked for their performance. The performance of the classification algorithms is illustrated on benchmark datasets.Proposed Novel MI Framework Mean Precision, Mean Recall, and Mean F-Score. The overall comparison of the above metrics results that the proposed novel MI Classification has shown significant improvement in identifying the missing values.

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